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## Takeaways

Neural retrievers hold the promise to replace BM25 in modern search engines, but term matching still remains a critical component

We propose a **black-box approach** to measure a model ability to perform **lexical matching**, and answer the following questions:

(RQ1) To which extent neural retrievers capture
lexical match (i.e. matching query terms) when
it's actually useful (> relevance)?

# In-domain / OOT terms

Evaluation on TREC 2019+2020 (97 queries) Compare several dense and sparse neural models

Terms seen at training time (IT: In-Training) Terms appearing in less than 10 training queries (OOT: Out-Of-Training)

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Do they generalize term matching to

- (RQ2) Terms not seen at training time?
- (RQ3) New collections?

Overall we show that neural IR models fail to properly generalize term importance on out-ofdomain collections or terms (almost) unseen at training time

## Method

High-level idea: "count" query terms in retrieved documents Analysis rationale: the more a term is important for a query (w.r.t. relevant documents), the more a document containing it should be retrieved

- "Order" between models (linked to lexical bias)
- For high RSJ, neural retrievers **underestimate** importance
- For unseen terms, it is worse

# Out-of-domain

Evaluation on two out-of-domain datasets from the BEIR benchmark [2]: *TREC-COVID* and *FiQA-2018* (50 and 648 queries respectively)



Looking at frequency is not enough (e.g. stopwords): how to take into account collection statistics + relevance?

1. USER relevance (RSJ weight [1])

$$\operatorname{RSJ}_{t,U} = \log \frac{p(t|R)p(\neg t|\neg R)}{p(\neg t|R)p(t|\neg R)}$$

2. System relevance (derived from RSJ)



Hypothesis: top-K = documents considered to be relevant by the system

 $\operatorname{RSJ}_{t,S} = \log \frac{p(t|\operatorname{top-}K)p(\neg t|\neg\operatorname{top-}K)}{p(\neg t|\operatorname{top-}K)p(t|\neg\operatorname{top-}K)}$ 

Contrast both values: look at  $\Delta RSJ = \Delta RSJ_{II} - \Delta RSJ_{S}$ 

- $\Delta > 0$ : overestimates term importance
- Δ < 0: underestimates term importance

[1] Relevance weighting of search terms, S. E. Robertson, K. Sparck Jones

[2] BEIR: A Heterogenous Benchmark for Zero-shot Evaluation of Information

Retrieval Models, Nandan Thakur, Nils Reimers, Andreas Rücklé, Abhishek

### Srivastava, Iryna Gurevych

**IDF-:** terms for which statistics **IDF+:** terms which appear five are more or less unchanged times more in the new collection

- Overall, dense models underestimate while "sparse" ones tend to overestimate
- For terms with shifted statistics (IDF+), importance is underestimated
- Higher variance in  $\Delta$