

# LeQua@CLEF2022: Learning to Quantify Andrea Esuli, Alejandro Moreo, Fabrizio Sebastiani Istituto di Scienza e Tecnologie dell'Informazione - Consiglio Nazionale delle Ricerche 56124, Pisa, Italy



## LeQua@CLEF2022

Quantification is the task of predicting the prevalence (i.e., relative frequency) of a property in a sample of elements from a domain. LeQua 2022 is the first edition of the "Learning to Quantify" lab, hosted within the CLEF 2022 Conference.



The goal of LeQua is to allow the comparative evaluation of methods for "learning to quantify" in textual datasets, i.e., methods for training predictors (called "quantifiers") of the prevalences of the classes of interest in sets of unlabelled documents. The predictors will be required to issue predictions for several such sets, some of them characterized by prevalence values radically different from the ones of the training set.

#### Tasks

Two *tasks* are offered:

For each task, two *subtasks* are offered:

### Sampling

Generating test samples that cover all the possible spectrum of prevalence values is key to test the robustness of quantifiers to the variation of prevalence from training data to test data.

T1 The Vector Task:

- Participant teams are provided with vectorial representations of the documents.
- Mostly for teams not into text mining.
- T2 The Raw-Documents Task:
- Participant teams are provided with the raw documents.
- Mostly for teams wanting to test end-toend systems.

A The Binary Subtask:

- 2 classes
- Classes are *sentiment*-related (Positive and Negative)
- B The Multiclass Subtask:
- 28 classes
- Classes are *topic*-related (e.g., Automotive, Baby, Beauty, ...)

Dataset

The data are obtained from a crawl of  $\geq 100M$  Amazon reviews; from these we remove

- all reviews shorter than 200 characters,
- all reviews that have not been recognized as "useful" by any users,
- (for the binary "sentiment-based" task) all reviews with 3 stars.

The 2 training sets  $L_{\rm B}$  (binary) and  $L_{\rm M}$  (multiclass):

For example, drawing n random values (for a problem with n classes) uniformly at random from the interval [0,1] and then normalizing them so that they sum up to 1 (IID method), produces samples biased towards the centre of the unit (n-1)-simplex.

The *Kraemer algorithm* generates samples that uniformly cover the entire spectrum of prevalence values for all classes:

- Given a set of classes  $\mathcal{Y}$ , generate a vector  $A = \langle a_1, ..., a_{(|\mathcal{Y}|-1)} \rangle$  of points sampled uniformly at random from [0,1]
- Sort the  $a_i$ 's to obtain  $B = \langle b_1 \leq ... \leq b_{(|\mathcal{Y}|-1)} \rangle$ , and define  $b_0 = 0$  and  $b_{|\mathcal{Y}|} = 1$
- Obtain a vector  $P = \langle p_1, ..., p_{|\mathcal{Y}|} \rangle$  by defining  $p_i = b_i - b_{(i-1)}$  for all  $i \in \{1, ..., |\mathcal{Y}|\}$
- Use P as the distribution of class prevalence values for generating sample  $\sigma$

- $L_{\rm B}$  consists of 5,000 documents and  $L_{\rm M}$  consists of 20,000 documents
- $L_{\rm B}$  and  $L_{\rm M}$  are sampled from the  $\geq 100$ M-strong dataset  $\Omega$  via *stratified sampling* on the dimension of interest (resp. sentiment, topic), so as to have "natural" prevalence values for all the class labels.

The 2 development (validation) sets:

- We use 1,000 development samples of 250 documents each for the binary task and 1,000 development samples of 1,000 documents each for the multiclass task.
- The sets of development samples  $D_{\rm B}$  and  $D_{\rm M}$  are generated from  $\Omega \setminus L_{\rm B}$  and  $\Omega \setminus L_{\rm M}$  via the *Kraemer algorithm* for sampling uniformly from the unit simplex
- The goal of this sampling algorithm is generating samples characterised by a variety of *(equiprobable) class distributions, with class prevalence values* not *from a predefined grid of values.*

The 2 test sets:

- We use 5,000 test samples of 250 documents each for the binary task and 5,000 test samples of 1,000 documents each for the multiclass task.
- The sets of test samples  $U_{\rm B}$  and  $U_{\rm M}$  are also generated from  $\Omega \setminus (L_{\rm B} \cup D_{\rm B})$  and  $\Omega \setminus (L_{\rm M} \cup D_{\rm M})$

Visualization of distribution of 2-dimensional samples generated using different methods:



## Evaluation

Relative frequencies of classes are represented by probability distributions. The true probability distribution p for each set is compared to predicted one  $\hat{p}$ , by means of *Relative Absolute Error*:

#### via the Kraemer algorithm.

#### Timeline

Dec 1, 2021Release of train and dev setMay 13, 2022ReApr 22, 2022Release of test setMay 27, 2022PaMay 5, 2022Run submission deadlineSep 5, 2022Le

3, 2022 Release of results
7, 2022 Paper submission deadline (optional)
5, 2022 LeQua @ CLEF2022

$$RAE(p, \hat{p}) = \frac{1}{n} \sum_{y \in \mathcal{Y}} \frac{|\hat{p}(y) - p(y)|}{p(y)} \qquad (1$$

The final score is the mean RAE across all the samples in the test set.

#### Links

Web: https://lequa2022.github.io/ Data: https://zenodo.org/record/5734465 Twitter: @LeQua2022

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